

# Cyclic Feature Deletion

## Kiranti verbal agreement

Daniela Henze & Eva Zimmermann

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## Main Claim

Different patterns of blocking in Kiranti verbal agreement systems show instances of the same generalization that is best analyzed as an instance of **Cyclic Feature Deletion**.

# Hayu non-past (Michailovski 1974)

A\P	1s	1de	1pe	1di	1pi	2s	2d	2p	3s	3d	3p
1s						-no	-no-tshe	-no-ne	-ŋ	-ŋ-tshe	-ŋ-me
1de						-tshok	-tshok	-tshok	-tshok	-tshok	-tshok
1pe						-kok	-kok	-kok	-kok	-kok	-kok
1di									-tshik	-tshik	-tshik
1pi									-ke	-ke	-ke
2s	-ŋo	-tshok	-kok			-∅	-tshik	-ne	-∅	-∅	-me
2d	-ŋo-tshe	-tshok	-kok			-∅	-tshik	-ne	-tshik	-tshik	-tshik
2p	-ŋo-ne	-tshok	-kok			-∅	-tshik	-ne	-ne	-ne	-ne
3s	-ŋo	-tshok	-kok	-tshik	-ke	-∅	-tshik	-ne	-∅	-tshik	-me
3d	-ŋo-tshe	-tshok	-kok	-tshik	-ke	-∅	-tshik	-ne	-tshik	-tshik	-me
3p	-ŋo-me	-tshok	-kok	-tshik	-ke	-me	-tshik	-ne	-me	-me	-me
<b>intr</b>	-ŋo	-tshok	-kok	-tshik	-ke	-∅	-tshik	-ne	-∅	-tshik	-me

# Agreement in Hayu

- agreement: number (sg, du, pl), person (1, 2, 3) and case (S, A, P)
  - Decomposition of features

Number		Person		Case	
sg	+sg,-pl	1	+1,-2,-3	Intr	S
du	-sg,-pl	2	-1,+2,-3	Agens	A
pl	-sg,+pl	3	-1,-2,+3	Patient	P

- with both arguments in transitive contexts, as e.g.

A\P	1s		
2s	- $\eta$ o	/ $\eta$ o/	$\leftrightarrow$ [SP,+1+sg]
2d	- $\eta$ o-tshe	/tshe/	$\leftrightarrow$ [-sg-pl]
2p	- $\eta$ o-ne	/ne/	$\leftrightarrow$ [-1+2-sg+pl]

# But what about... ?

A\P	1s	1de	1pe
2s	-ŋo	-tshok	-kok
2d	-ŋo-tshe	-tshok* <b>-tshe</b>	-kok* <b>-tshe</b>
2p	-ŋo-ne	-tshok* <b>-ne</b>	-kok* <b>-ne</b>
3s	-ŋo	-tshok	-kok
3d	-ŋo-tshe	-tshok* <b>-tshe</b>	-kok* <b>-tshe</b>
3p	-ŋo-me	-tshok* <b>-me</b>	-kok* <b>-me</b>

## Or...?

A\P	2s	2d	2p
1s	-no	-no-tshe	-no-ne
1de	-tshok	-tshok* <b>-tshe</b>	-tshok* <b>-ne</b>
1pe	-kok	-kok* <b>-tshe</b>	-kok* <b>-ne</b>

## Or...?

A\P	3s	3d	3p
1s	-ŋ	-ŋ-tshe	-ŋ-me
1de	-tshok	-tshok* <b>-tshe</b>	-tshok* <b>-me</b>
1pe	-kok	-kok* <b>-tshe</b>	-kok* <b>-me</b>

# Generalization

- 1  $\gg$  2  $\gg$  3 and agreement with the highest argument
- if this argument is singular: agreement with the other argument as well
- otherwise any expected agreement with the other head is blocked

A\P	1s	1de	1pe			
2s	-ŋo	-tshok	-kok	/ŋo/	↔	SP,+1+sg
2d	-ŋo-tshe	-tshok* <b>-tshe</b>	-kok* <b>-tshe</b>	/kok/	↔	+1-2-sg+pl
2p	-ŋo-ne	-tshok* <b>-ne</b>	-kok* <b>-ne</b>	/tshok/	↔	+1-2-sg-pl
3s	-ŋo	-tshok	-kok	/ne/	↔	+2-1-sg+pl
3d	-ŋo-tshe	-tshok* <b>-tshe</b>	-kok* <b>-tshe</b>	/me/	↔	+3-sg+pl
3p	-ŋo-me	-tshok* <b>-me</b>	-kok* <b>-me</b>	/tshe/	↔	-sg-pl



# Analysis

# The challenge for morphological theories

- **hierarchy** effects in the ordering of morphemes
- **blocking** of expected markers
  - shows an inside-out cyclic effect: markers that are expected to follow are blocked
  - affects only the “lower” argument

# A realizational theory

## Distributed Morphology (Halle & Marantz 1993)

- Vocabulary Items (VIs) are inserted to **realize** the morphosyntactic features the syntax provides
- VIs can be **underspecified** and are inserted if their features are a proper **subset** of the morphosyntactic feature context (Halle 1997)
- if more than one VI matches a context, the more **specific** marker is chosen

# Blocking of expected markers in DM

- the systematic absence of markers in a realizational theory is derived via impoverishment rules
- = deleting of features in the input

(1)  $-sg \rightarrow \emptyset / [A, -1, \_ ] [-3, -sg]$   
 (=“delete a feature  $-sg$  on a  $-1$  agent head in the context of a  $-3, -sg$  head”)

A\P	1s	1de	1pe
2s	-ŋo	-tshok	-kok
2d	-ŋo-tshe	-tshok* <b>-tshe</b>	-kok* <b>-tshe</b>
2p	-ŋo-ne	-tshok* <b>-ne</b>	-kok* <b>-ne</b>
3s	-ŋo	-tshok	-kok
3d	-ŋo-tshe	-tshok* <b>-tshe</b>	-kok* <b>-tshe</b>
3p	-ŋo-me	-tshok* <b>-me</b>	-kok* <b>-me</b>

## The problem with such an account

- impoverishment is in itself **blind for hierarchies**
- i.e. very specific rules would be necessary to capture all blocking contexts
- the **inside-out direction of blocking is a coincidence**  
(impoverishment applies prior to insertion and cannot refer to already inserted markers)

### Our Departure

- prominence hierarchies are implemented as specificity concept
- deletion/blocking is only sensitive to already realized features

# Cyclic Feature Deletion

- after **some markers no blocking** arises and after **other markers blocking** can be observed

## (2) *Markers in Hayu*

/ŋo/ ↔ [SP+1+sg]

/no/ ↔ [A+1,+sg] /\_\_+2

/ŋ/ ↔ [ +1+sg]

/ke/ ↔ [+1+2-sg+pl]

/kok/ ↔ [+1-2-sg+pl]

/ne/ ↔ [+2-1-sg+pl]

/me/ ↔ [+3 -sg+pl]

/tshok/ ↔ [+1-2-sg-pl]

/tshe/ ↔ [ -sg-pl]

### The crucial generalization:

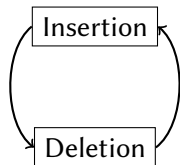
The blocking markers **all realize the same features: -sg**

= a certain morpho-syntactic feature triggers blocking

# Our proposal: Cyclic Feature Deletion

- impoverishment rules have **features that are already realized** as their context
- after every insertion step, impoverishment rules are checked for whether their context is met
- they therefore apply cyclically after every insertion step

## (3) *Cyclic Impoverishment*



# Hayu and CyFDs: Assumptions

- both agreement heads fuse together: their feature structure is visible (but: still structured!)
- fission as feature discharge: ‘insertion as long as possible’
- specificity decides competition and is bound to the quality of features:  
1  $\gg$  2  $\gg$  3  $\gg$  pl  $\gg$  du  $\gg$  sg
- this derives:
  - that the insertion starts with the head bearing the highest features on the scale 1  $\gg$  2  $\gg$  3
  - if both heads are specified for the same person (3–3), the number hierarchy pl  $\gg$  du  $\gg$  sg decides



# Impoverishment in Hayu

- an impoverishment rule deletes all remaining features in the context of a visible (=realized) feature  $\langle -sg \rangle$  (4)
- from this it follows that no agreement marker is ever possible after a non-singular marker but very well possible after a singular agreement marker

(4) *Impoverishment in Hayu*  
 $[\dots]_{\alpha} \Rightarrow \emptyset / \langle -sg \rangle_{\beta} \_$

# Exemplifying Derivation: two markers in 2d-1sg

$$I. \left[ \begin{array}{l} [A, -1, +2, -3, -sg, -pl] \\ [P, +1, -2, -3, +sg, -pl] \end{array} \right] / \eta o / \leftrightarrow [P+1+sg] \left[ \begin{array}{l} [A, -1, +2, -3, -sg, -pl] \\ [P, +1, -2, -3, +sg, -pl] \end{array} \right]$$

D. No context for an impoverishment rule is met

$$I. \left[ \begin{array}{l} [A, -1, +2, -3, -sg, -pl] \\ [P, +1, -2, -3, +sg, -pl] \end{array} \right] / tshe / \leftrightarrow [-sg-pl] \left[ \begin{array}{l} [A, -1, +2, -3, -sg, -pl] \\ [P, +1, -2, -3, +sg, -pl] \end{array} \right]$$

D.  $[\dots]_{\alpha} \Rightarrow \emptyset / \langle -sg \rangle_{\beta} \text{ \_\_\_}$

I. No marker specification is met

**-ηo-tshe**

# Exemplifying Derivation: A is blocked in 2d-1pe

$$I. \left[ \begin{array}{l} [A, -1, +2, -3, -sg, -pl] \\ [P, +1, -2, -3, -sg, +pl] \end{array} \right] /kok/ \leftrightarrow [+1-2-sg+pl] \left[ \begin{array}{l} [A, -1, +2, -3, -sg, -pl] \\ [P, +1, -2, -3, -sg, +pl] \end{array} \right]$$

$$D. [\dots]_{\alpha} \Rightarrow \emptyset / \langle -sg \rangle_{\beta} \text{ \_\_\_}$$

$$I. \left[ \begin{array}{l} [A, -1, +2, -3, -sg, -pl] \\ [P, +1, -2, -3, -sg, +pl] \end{array} \right] */tshe/ \leftrightarrow [-sg-pl]$$

D. No context for an impoverishment rule is met

I. No marker specification is met

-kok

## Alternative: ‘Regular’ impoverishment

### Another way to put the generalization

**No two –sg markers are possible.**

Seems to be captured easily by an impoverishment rule like (5)

$$(5) \quad [-\text{sg}\dots]_{\alpha} \Rightarrow \emptyset / \_[-\text{sg}]_{\beta}$$

**But** on which head is the [–sg] deleted?

- it is not always the object or subject which is deleted – its always the argument, which is lower on the hierarchy

# An example: 'regular' impoverishment in Hayu

- (6)
- ① [-sg] → ∅ / \_\_ [A,-3,-sg]
  - ② [-sg] → ∅ / [A,-1,\_\_] [-3,-sg]
  - ③ [-sg] → ∅ / [+3,-pl,\_\_] [+3,+pl]

A\P	1s	1d	1pl	2s	2d	2pl	3s	3d	3p
1s				A	<b>A-P</b>	<b>A-P</b>	A	<b>A-P</b>	<b>A-P</b>
1ns				A	A ①	A ①	A	A ①	A ①
2s	P	P	P						P
2d	<b>P-A</b>	P ②	P ②				A	A ①	A ①
2pl	<b>P-A</b>	P ②	P ②				A	A ①	A ①
3s	P	P	P	P	P		P	P	
3d	<b>P-A</b>	P ②	P ②	P ②	P ②	A	A	P ③	
3p	<b>P-A</b>	P ②	P ②	A	P ②	P ②	A	A ③	A

The hierarchy effects are a mere coincidence.

# Discussion

# Possible extension: marker-sensitive blocking

e.g. in Potawatomi (Hockett 1939):

A\P	1pe	1pi	2p	3p	obv	-anim
1p			<b>-men<sup>*</sup>-m</b>	<b>-men<sup>*</sup>-k</b>	<b>-men<sup>*</sup>-n</b>	<b>-men<sup>*</sup>-n</b>
2p	<b>-men<sup>*</sup>-m</b>			<b>-wa-k</b>	<b>-wa-n<sub>1</sub></b>	<b>-wa-n<sub>2</sub></b>
3p	<b>-nan-k</b>	<b>-nan-k</b>	<b>-wa-k</b>		<b>-wa-n<sub>1</sub></b>	<b>-wa-n<sub>2</sub></b>

## (7) *Vocabulary Items*

-nan	↔	+1,+pl / ___[ A, +3 ]
-men	↔	+1,+pl
-k	↔	+3,+pl
-n <sub>1</sub>	↔	+obv
-n <sub>2</sub>	↔	-anim,+pl
-m	↔	+2,+pl

## Cross-language evidence

Various blocking phenomena in unrelated languages easily follow in such an account, e.g.:

- in **Gurrioni** (Gunwinggun, Green 1995),  
a specific –sg > –sg marker blocks any expected number agreement afterwards
- in **Huehuetla Tepehuan** (Totanacan, Troiani 2004),  
the otherwise very regular biactantal agreement paradigm is obscured in 1>2 forms where the expected number agreement marker is blocked
- in **Japhug Rgyalrong** (Sino-Tibetan, Jacques 2010),  
certain person prefixes make any subsequent number agreement with the other head impossible



# Conclusion

## Cyclic Feature Deletion...

- the context of impoverishment rules: already realized features<sub>R</sub>
- such impoverishment rules consequently do not apply prior to insertion but *after insertion* of certain markers

## ...and its advantages

- derives the Kiranti patterns with a minor adjustment in standard DM
- language variation: only in the hierarchy deciding specificity
- it therefore avoids:
  - long lists of arbitrary impoverishment/fission rules
- is able to predict marker-sensitive blocking as well

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